

# relative motions

"In the [laws of quantities and motions](#) there are [three primary ratios](#) from which the [musical system of vibrations](#) is developed.

[Pendulums](#), from the slowness and continuance of their motions, are well adapted to give an ocular demonstration of the **relative motions** of each of these [three primary ratios](#) when compared and combined with the [unity](#) and with each other. The numbers 2 and 4 express the [first condition in the first ratio](#); as, in falling bodies, when the [times](#) are 2 the [distances](#) are 4. In the case of two pendulums, when the length of the one is one fourth part of the other the [motions](#) are 1:2; and when [two](#) is counted for the upper one, the oscillations of these two pendulums will meet at one. The numbers 3 and 9 express the [first condition of the second ratio](#); as, in falling bodies, when the [times](#) are 3 the [distances](#) are 9. In the case of two pendulums, when the length of the one is the ninth part of the other, the motions are 1:3; and when three is counted for the upper one, the oscillations of these two pendulums will meet at one. The numbers 5 and 25 express the first condition in the third ratio; as, in falling bodies, when the times are 5 the distances are 25. In the case of two pendulums, when the length of the one is twenty-fifth part of the other, the motions are 1:5; and when five is counted for the upper one, the oscillations of these two pendulums will meet at one.

In the [system of motions in pendulums](#), the [three primary ratios](#) indicated in the foregoing paragraph, namely, 2:4, 3:9, and 5:25, are compared and combined with three different units. In their comparison, 1 is the [unit of quantities](#), that is lengths, and 1 is the [unit of motions](#). The numbers 1/4, 1/9, and 1/25, when taken together with 1 as [unity](#), express the [first comparison and combination of quantities](#); and the numbers 2, 3, and 5, taken together with 1 as [unity](#), express the [first comparison and combination of motions](#)." [[Scientific Basis and Build of Music](#), page 15]

"When the lengths of four [pendulums](#) are 1, 1/4, 1/9, and 1/25, their **relative motions** are 1, 2, 3, and 5; and when 5 is counted for the highest, the [oscillations](#) of these four [pendulums](#) will meet at one." [[Scientific Basis and Build of Music](#), page 16]

Different writers have put forth different views of what constitute a [musical vibration](#), but their various views do not make any difference in the [ratios](#) which the notes of this sound-host bear to each other. Whether the [vibrations](#) be counted as [single](#) or [double vibrations](#), the [ratios](#) of their **relative motions** are the same. Nevertheless, a [musical vibration](#) is an interesting thing in itself, and ought to be correctly defined.

A [string](#) when vibrating musically is passing and re-passing the [central line](#) of its [rest](#) or [equilibrium](#) with a certain [range of excursion](#). Some writers have defined a [vibration](#) to be the passage of the [string](#) from one [extreme of its excursion](#) to the other, while some have preferred to define it as the passage of the [string](#) from the one [extreme of its excursion](#) to the other and back again. D. C. Ramsay has been led in his researches to define a [vibration](#) as the [movement](#) of the [string](#) from its [central line of rest](#) to the [extreme of its excursion](#) on one side, and back to the [central line of rest](#); and from the [central line of rest](#) to the [extreme of its excursion](#) on the other side, and back again to the "[right line](#)," as he calls it, as a second vibration. His reasoning on this will be seen in what follows. (See [Fig. 3, Plate IV.](#)) [[Scientific Basis and Build of Music](#), page 21]

See Also

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[Distance](#)  
[Motion](#)  
[Number](#)  
[Period](#)  
[Ratio](#)  
[Relativity](#)  
[Time](#)