

5.5 - Double Vortices

Double interpenetrating vortices will form into a sphere forming around the [depolar magnetic shaft](#) which extends through the centers of the spinning vortices. It is surmised these swirling wave patterns will not interfere with one another just as water waves do not interfere with each other, although they may momentarily and locally add or subtract amplitudes as they form zones ([Stria](#)) of high and low tensions.

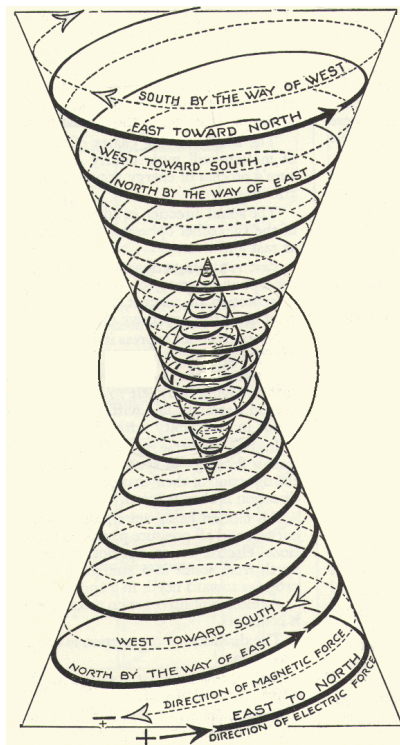


Figure 5.5 - Double Interpenetrating Vortex.

(scan courtesy of [University of Science & Philosophy](#))

([click to enlarge](#))

- The armature's design reflects nature's use of vortices and mirror symmetry:
 - **Russell's View:** Every system is structured around vortices, with energy spiraling inward (centripetal/syntropic) and outward (centrifugal/entropic).
 - **Keely's View:** Vibratory motion is inherently triadic, involving attractive, repulsive, and neutral forces.

Mathematical Representation: The energy dynamics of the dual-vortex system can be expressed using the potential flow theory for vortices:

$$\Phi(r, \theta) = \frac{\Gamma}{2\pi} \ln(r) - \frac{A}{r^2} \cos(2\theta)$$

Where:

- Γ : Circulation constant (energy rotation).
- r : Radial distance from the center.
- A : Constant representing energy density.

([click to enlarge](#))

See Also

Double Vortex

double-spiral pipe

double screw-form wave motion

double vortex

Figure 7.8 - Gravity is the Life Sex and Power Principle

Sex

Vortex

5.6 - Vortex Forming Spheres

12.25 - Sex

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[\(click to enlarge ↗\)](#)

See Also

double screw-form wave motion

double spiral wave motion

double spiral

3.03 - Vortexial Motion

3.10 - Vortex Motions result in Appearance of Form

3.14 - Vortex Theory of Atomic Motions

3.23 - Hydrodynamic Equations - Vortex Motions

4.5 - Triple Rotary or Vortex Motions

5.1 - Vortex Formation

5.2 - Vortex Motions in Resonators

5.3 - Vortex Motion in Ether and Atoms

5.6 - Vortex Forming Spheres

Double Vortex

Figure 13.05a - Complex Vortex Rotational Dynamics

Figure 2.13 - Swirling Vortex around Neutral Centering Shaft

Figure 3.18 - All Motion is Vortex Motion

Figure 3.21 - Vortex or Gyroscopic Motions as Conflicts or Antagonisms between Light and Dark

Figure 3.22 - Vortex or Gyroscopic Motions as Conflicts or Antagonisms between Light and Dark Zones

Figure 3.23 - Vortex or Gyroscopic Motions as Conflicts or Antagonisms between Light and Dark Zones

Figure 4.5 - Compound Gyroscopic or Vortex Motions

Figure 5.13 - Babbitt Atom constructed of Compound Vortextial Motions

Figure 5.3 - Vortex or Gyroscopic Motion is Natural and occurs ubiquitously

Figure 5.4 - Vortex and Gyroscopic Motion on One Plane then on three forming Sphere

Figure 5.5 - Double Interpenetrating Vortex

Figure 6.1 - Orthogonal Vortex Motion as Structural base of Cubes

Figure 7.1 - Step 1 - Wave Vortex Crests at Maximum Polarization

Figure 7.2 - Step 2 - Vortex Formation about a Single Axis

Figure 7B.12 - Sympathetic Affinity Attraction forming Vortex

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